Calculation of miniband structure in strain-balanced type-II GaAsBi/GaAsN superlattice

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Outline

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Motivations for GaAsBi/GaAsN Type-II SLS

Study Objectives

Calculation Methodology

- Strain-Balanced Criteria
- Band alignment and Strain effect
- Schrödinger Poisson Self-Consistent Equation
- **Results**
- **Future work**
- **Conclusion**



Motivations for GaAsBi/GaAsN

Desire narrow bandgap material with effective lattice match to GaAs

- Key for low-cost GaAs technology
- Particularly important for optoelectronic devices such as detectors where thick active regions required
- Lasers

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- Photodetectors
- Solar Cells





Motivations for Type-II SLS

Advantages of superlattices – Bandstructure engineering

Effective bandgap

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- Electronic transport
- Controlled by layer thickness

Advantages of GaAsBi/GaAsN Type-II superlattice

- Effective lattice match to GaAs
- Minibands in conduction/valence band can be independently controlled
- Radiative transitions (lifetime, absorption) can be controlled





Study Objectives

Develop method for calculating electronic structure

Determine range of transition energies for SLS

- Strain balanced structures
- "Reasonable" Bi and N content (up to 5% Bi and N composition)
- Varying thickness for GaAsBi, GaAsN layers

Initial objective to determine criteria to achieve "1 eV" material for photovoltaics



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Simulation Methodology

Strain-balanced Criteria

 Determine precondition of concentrations of Bi and N using the strain-balanced criteria on a GaAs substrate

2 Band alignment of GaAsBi/GaAsN superlattice

- Obtain band edge discontinuity of the heterostructure based on GaAsBi and GaAsN band alignment
- Consider strain effect due to lattice mismatch

3 Miniband calculation using Schrödinger – Poisson equation

- Simulate energy states in the superlattice using self consistent Schrödinger Poisson equation
- Transfer matrix algorithm used to solve Schrödinger equation



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Strain-Balanced SLS

Strain - balanced criteria on GaAs substrate

- Balancing compressive strain (GaAsBi) and tensile strain (GaAsN)
- Condition of zero average in-plane stress^[1]



$$\frac{\partial U_{av}}{\partial \epsilon_1} = \frac{2}{t_1 + t_2} \left(t_1 A_1 \epsilon_1 + t_2 A_2 \epsilon_2 \frac{a_1}{a_2} \right) = 0$$

Results: GaAs_{1-x}Bi_x / GaAs_{1-y}N_y

Bi (x)	N (y)
0.01	0.006
0.02	0.011
0.03	0.017
0.04	0.022
0.05	0.028

[1] N. J. Ekins-Daukes, K. Kawaguchi, and J. Zhang, Crystal Growth & Design 2, 287 (2002)



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Strain-Balanced SLS

Critical thickness of GaAsBi and GaAsN on GaAs substrate





Band alignment – Bi, N alloys



[2] K. Alberi, J. Wu, W. Walukiewicz, K. M. Yu, O. D. Dubon, S. P. Watkins, C. X. Wang, X. Liu, Y. –J. Cho, and J. Furdyna, Phys. Rev. B. 75, 45203 (2007)
[3] W. Shan, W. Walukiewicz, K. M. Yu, J. W. Ager III, E. E. Haller, J. F. Geisz, D. J. Friedman, J. M. Olson, S. R. Kurtz, H. P. Xin, and C. W. Tu, Phys. Stat. Sol 223, 75 (2001)



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GaAsBi

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GaAsN

Band alignment- Bi, N Alloys

General Band alignment of GaAs_{1-x}Bi_x (x=0~0.05) , GaAs_{1-y}N_y (y=0~0.05), and GaAs



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Band alignment - Strain effect

Strain effect on band alignment

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- GaAsBi: Compressive strain / GaAsN: Tensile strain
- Pseudomorphically grown on a (100)-oriented substrate

 $\mathbf{E}_{\mathsf{C}-\mathsf{HH}}(\mathbf{k}=\mathbf{0}) = \mathbf{E}_{\mathsf{g}} + a\big(\epsilon_{xx} + \epsilon_{yy} + \epsilon_{zz}\big) - (b/2)(\epsilon_{xx} + \epsilon_{yy} - 2\epsilon_{zz})$

 $\mathbf{E}_{\mathsf{C}-\mathsf{LH}}(\mathbf{k}=\mathbf{0}) = \mathbf{E}_{\mathsf{g}} + a\big(\epsilon_{xx} + \epsilon_{yy} + \epsilon_{zz}\big) + (b/2)(\epsilon_{xx} + \epsilon_{yy} - 2\epsilon_{zz}) \quad a = a_c - a_v$



Electronic Structure Calculation

Coupled Schrödinger – Poisson Equation^[4]



Solving Schrödinger equation

- Calculate subband structure in the superlattice
- Transfer matrix approach^[5] used

[4] C. H. Fischer IV, Ph.D. dissertation. University of Michigan (2004)

[5] E. Anemogiannis, E. N. Glytsis, and T. K. Gaylord, IEEE Journal of Quantum Electronics 29, 2731 (1993)



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Miniband structure of SLS

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Miniband of GaAs_{0.96}Bi_{0.04} / GaAs_{0.979}N_{0.021}



Transition energy of SLS

Transition energy range for different Bi composition





Transition energy of SLS

Transition energy range for different Bi composition



Lattice Constant (Å)

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Results

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Thickness of individual layer vs. transition energy with different N and Bi composition (t_{1,GaAsBi} = t_{2,GaAsN})



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Future work

Carrier transport simulation

- Tunneling probability
- Carrier scattering probability via Monte-Carlo simulation
- Determine electron transport in vertical and lateral directions

Radiative transitions

- Wavefunction overlap
- Optical absorption/recombination lifetimes

Compare with experimental data

- Material parameters, band offsets, etc, used in simulation
- Experimental SLS structures



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Conlclusions

- Electronic structure of GaAsBi/GaAsN superlattices were calculated for varying layer thickness and alloy composition
- □ GaAsBi/GaAsN superlattices offer a wide range of effective bandgap energy (~0.7 – 1.4 eV) for strain-balanced structures on GaAs
- Attractive for variety of optoelectronic devices, and need further experimental and theoretical research efforts



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